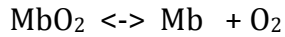


Oxygen binding to Myoglobin

To know how tightly the oxygen binds to the myoglobin, we measure the dissociation of oxygen from Myoglobin:



$$K_d = \frac{[\text{Mb}] \times p\text{O}_2}{[\text{MbO}_2]}$$

Define Θ

Θ is the ratio of occupied binding sites on a protein to the total binding sites. When Θ is equal to 1, then all of the protein binding sites are occupied.

$$\Theta = \frac{[\text{PL}]}{[\text{PL}] + [\text{P}]}$$

$$[\text{L}] = p\text{O}_2$$

$$[\text{MbO}_2] = [\text{PL}]$$

$$[\text{Mb}] = [\text{P}]$$

$$\Theta = \frac{[\text{MbO}_2]}{[\text{MbO}_2] + [\text{Mb}]}$$

$$K_d = \frac{[\text{Mb}] \times p\text{O}_2}{[\text{MbO}_2]}$$

rearrange, solve for $[\text{MbO}_2]$

$$[\text{MbO}_2] = \frac{[\text{Mb}] \times p\text{O}_2}{K_d}$$

Substitute into equation for theta:

$$\Theta = \frac{[\text{Mb}] \times p\text{O}_2 / K_d}{([\text{Mb}] \times p\text{O}_2 / K_d) + [\text{Mb}]}$$

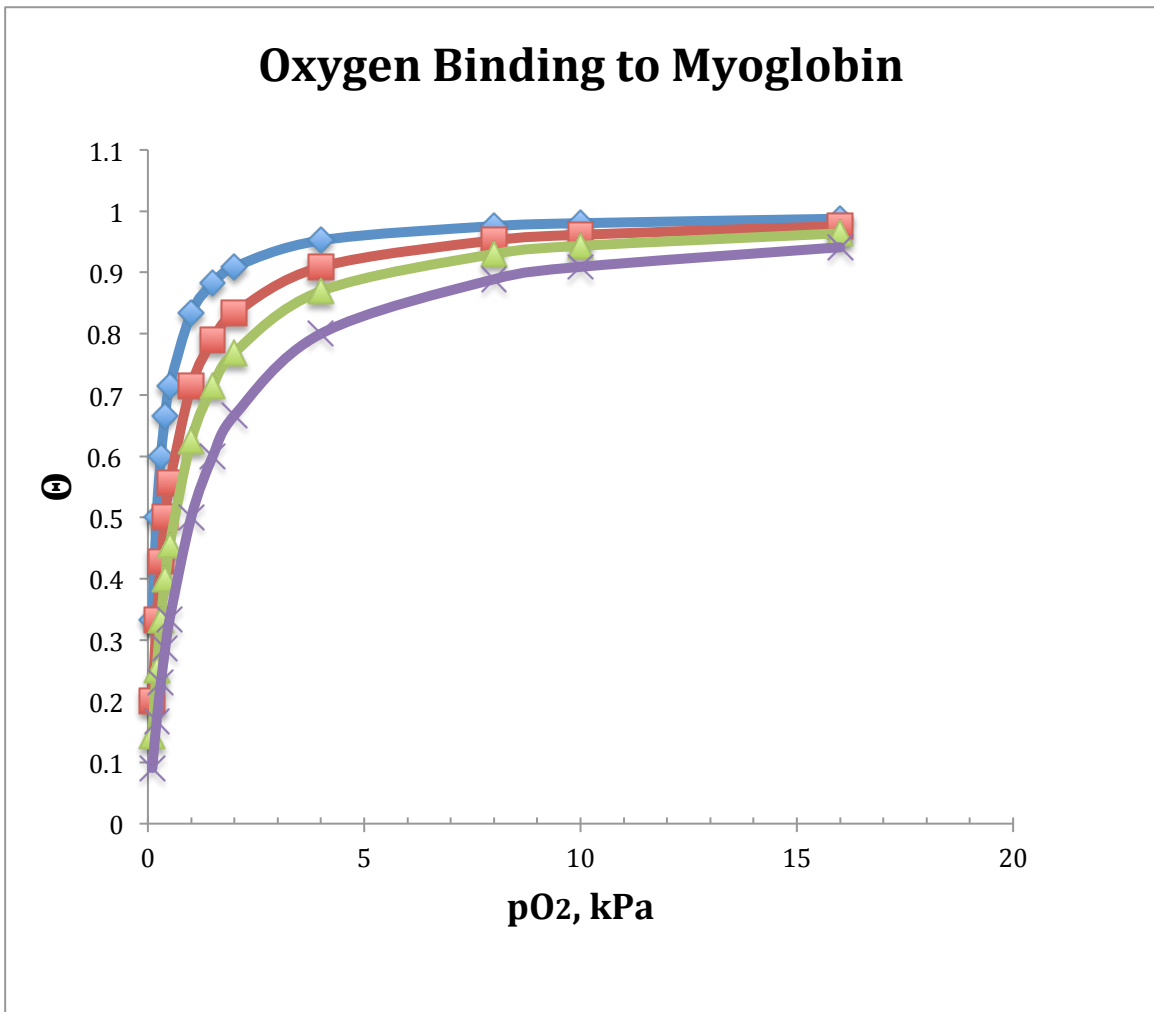
Divide all terms by $[\text{Mb}]$

$$\Theta = \frac{p\text{O}_2 / K_d}{((p\text{O}_2 / K_d) + 1)}$$

Multiply all terms by K_d

$$\Theta = \frac{p\text{O}_2}{(p\text{O}_2 + K_d)}$$

Plot Θ vs $p\text{O}_2$,



1. What kind of function is this?
2. Solve the equation, when $\Theta = .5$, to get a relationship between pO_2 and K_d at $\Theta = .5$.

$$\Theta = \frac{pO_2}{pO_2 + K_d}$$
3. What is the K_d for the line with X as a marker?
4. Which line (squares, diamonds, triangles, Xs) has the strongest binding of oxygen to Myoglobin?
5. True or false, the amount of myoglobin present determines the dissociation constant, K_d .
6. What is the value for Θ at 4 kPa for the diamonds? (Resting muscle)
7. What is the value for Θ at 1.5 kPa for the diamonds? (Active muscle)
8. What percent of bound oxygen is released in active muscle? $(\text{Resting} - \text{Active}) \times 100\%$
9. What percent of bound oxygen is released in active muscle for the Xs? (Repeat 6,7,8)